

# Interplay of seismic and aseismic deformations during earthquake swarms: an experimental approach

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## Abstract

Observations of both fast and slow propagating ruptures on earthquake faults suggest a close relation between the two phenomena. Earthquakes are the signature of fast ruptures on localized asperities while slow aseismic deformations are experienced on other parts of the fault plane. However, the mechanism linking earthquakes and the aseismic processes is still unclear due to the difficulty of imaging these phenomena of large spatiotemporal variability at depth. Here, we present laboratory experiments that explore deformation processes of heterogeneous media in the brittle-creep regime. We track the evolution of an interfacial crack over 7 orders of magnitude in time and 5 orders of magnitude in space using an optical camera and acoustic sensors. We explore the response of the system to slow transient loads and show that slow deformation episodes are systematically accompanied by acoustic emissions. At small scales, these acoustic emission events are closely

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related to the activity of local creep. Similar statistical features of both the acoustic emission activity and the deformation rate distribution between our system and faults suggest an active role of local creep deformation in driving the seismic activity of earthquake swarms.

*Keywords:*

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## 1. Introduction

Numerous observations of a correlation between the enhancement of the seismic activity and the simultaneous detection of slow slip transients in the Earth crust have been reported in recent years. Such concurrent increase of seismicity and deformation rate has been observed in various tectonic locations (Linde et al., 1996; Crescentini et al., 1999; Lohman and McGuire, 2007; Segall et al., 2006; Liu et al., 2007) as well as in geothermal areas (Bourouis and Bernard, 2007; Takada and Furuya, 2010). Also, observations of postseismic slip following large earthquakes are manifestations of transient deformation coupled with abundant earthquake activity, i.e. after-shocks (Perfettini and Avouac, 2004).

In some cases, the seismic signal concurrent with slow slip events is characterized as tectonic tremors or low frequency earthquakes as observed in subduction zones (Rogers and Dragert, 2003; Obara et al., 2004; Ito et al., 2007) or in transform tectonic settings like the San Andreas Fault (SAF) (Vidale and Shearer, 2006; Nadeau and Dolenc, 2005; Shelly, 2010). Also the aseismic nucleation phase of mainshocks have been related to foreshocks such as in the case of the 1999 Izmit earthquake (Bouchon et al., 2011) or the 2011 Tohoku-Oki earthquake (Miyazaki et al., 2011; Ando and Imanishi,

20 2011)

21 Seismic events associated with aseismic slips are generally located on fault  
22 planes suggesting that they represent a dynamic shear instability on the slid-  
23 ing interface (La Rocca et al., 2009; Shelly et al., 2009). Geodetic inversions  
24 pinpoint the aseismic motion to be occurring on the same fault plane struc-  
25 ture (Lohman and McGuire, 2007). However the deformation signal recorded  
26 at the surface by GPS and/or InSAR instrument only provides a macroscopic  
27 view of the deformation process at depth. Details of the aseismic slip distri-  
28 bution are often lacking due to the limited resolution. In some cases, when  
29 aseismic slip exists at the surface, slip distribution is accessible from InSAR  
30 survey (Dobre and Peltzer, 2007).

31 The close spatial and temporal occurrence of both seismic and aseismic  
32 slip suggests a causal relation between the two phenomena. Nonetheless,  
33 the causal mechanism is not straightforward as earthquakes can both trigger  
34 and be triggered by slow slip events (Du et al., 2003; Perfettini and Avouac,  
35 2004). It might also be that both aseismic and seismic slips are manifestations  
36 of a common deformation process. In this case, the seismic signal can be  
37 seen as the signature of patches of the fault plane deforming dynamically  
38 whereas the geodetic observation represents an integrated signal over all the  
39 deforming sites. Therefore, the deformation on a fault plane takes place over  
40 a wide range of speeds. This is supported by observations of heterogeneous  
41 postseismic slip on the SAF inferred from the analysis of repeating earthquake  
42 sequences (Lengliné and Marsan, 2009). The dynamic events represent the  
43 high velocity tail of the slip speed distribution while its average produces the  
44 observed geodetic signal.

45 The contribution of earthquakes to the total amount of slip released dur-  
46 ing transient episodes is generally small (Lohman and McGuire, 2007). De-  
47 spite being located on a common interface, the precise spatial location of the  
48 seismic activity relative to the aseismic slip is difficult to obtain with a high  
49 resolution. The interface property might control the partition between seis-  
50 mic and aseismic slip, the interface being envisioned as a zone with strong  
51 patches (asperities) embedded in an otherwise low resistance region which  
52 accommodates slow slip (Linde et al., 1996; Lohman and McGuire, 2007;  
53 Wech et al., 2009; Perfettini et al., 2010). The concentration of asperities,  
54 or brittle patches, governs the relative importance of dynamic failures in the  
55 deformation process. It is also readily possible that temperature produces a  
56 broad scale effect on the slip partition over the interface and thus constrains  
57 the transition between brittle and ductile rheology.

58 The physics of crustal mechanics of both seismic and aseismic processes is  
59 not straightforward as it involves a complex problem of a spatially heteroge-  
60 neous medium with a large number of degrees of freedom and short and long  
61 range interactions. Several numerical models have tried to reproduce the  
62 evolution of such systems but computations are very time consuming and  
63 limited to only large scale heterogeneities (Kaneko et al., 2010), or to the  
64 quasi-dynamics approximation (Hillers et al., 2007; Ariyoshi et al., 2011).  
65 Experimental configurations overcome these difficulties as space-time inte-  
66 grations are performed by the deforming system without any model require-  
67 ment. Here, we investigate the slow (creep) and fast (acoustic) deformations  
68 produced by the propagation of an interfacial brittle-creep crack. Our ex-  
69 perimental setup is a much simpler configuration than that of a complex

70 fault zone system but the fundamental processes of interest, the slow de-  
71 formation and brittle fracture in heterogeneous media, remain similar. Our  
72 setup allows the monitoring, at the same time, of both acoustic activity and  
73 the detailed geometrical evolution of the fracture. We show that seismic  
74 and aseismic events co-exist in the system. Acoustic and creep event rates  
75 are highly correlated with a significant increase of the slow event activity  
76 simultaneously with the rise of acoustic event activity. It suggests that seis-  
77 mic activity during swarm episodes is driven by the elastic loading of local  
78 aseismic deformations on strong asperities.

## 79 **2. Experimental Setup**

### 80 *2.1. Sample Preparation*

81 To prepare each sample, we use two transparent PMMA plates of dimen-  
82 sions  $20 \times 10 \times 1.0 \text{ cm}$  and  $23 \times 2.8 \times 0.5 \text{ cm}$  (Figure 1). First, we sand-blast one  
83 surface of the narrow plate with glass beads of diameter  $\phi \in [180 - 300] \mu\text{m}$ .  
84 We clean the blasted plate to remove any electrically attached glass beads.  
85 Then we assemble the two plates in a stiff metallic loading cell with the  
86 blasted surface facing a surface of the larger plate. Finally, we impose an  
87 homogeneous normal load on the assembled plates and heat the loaded sam-  
88 ple at  $190^\circ\text{C}$  for 45 minutes to anneal the plates. The thermal annealing  
89 produces a weak cohesive interface along which the sample will break under  
90 load. The sand-blasting introduces a random roughness of the plate surface  
91 that controls the local strength along the weak interface. It also induces  
92 microstructures at the plate surface which make the sample opaque, but the  
93 newly formed block, after annealing, recovers its transparency since the con-

94 trast of the refraction index along the interface disappears (see Grob et al.  
 95 (2009); Lengliné et al. (2011) for details). Interestingly PMMA exhibits a  
 96 brittle behavior at short time scales and is semi-brittle or even plastic at  
 97 longer times. Macroscopically this long time scale regime is described by  
 98 a ductile rheology. PMMA shows a time-temperature equivalence desirable  
 99 for addressing either high temperature processes or very long term evolution  
 100 (Ward and Hadley, 1993). This richness of the PMMA rheology enables the  
 101 observation of a brittle-creep rupture regime. It provides an attractive anal-  
 102 ogy for the study of numerous time-dependent mechanisms in the Earth’s  
 103 crust as those originating at the brittle-ductile transition.

## 104 *2.2. Mechanical loading*

105 Once the sample is ready, we clamp the widest PMMA plate to a stiff  
 106 aluminum frame. A stepping motor applies the loading over the top side  
 107 of the narrow plate in a direction normal to the plate interface (Figure 1).  
 108 We measure the vertical displacement of the loading point with a linear  
 109 variable differential transformer (LVDT) with a resolution of  $1.3\,\mu\text{m}$ . The  
 110 vertical displacement imposed on the narrower plate induces stable mode I  
 111 propagation of a planar fracture along the prescribed weak interface. We  
 112 impose a variation of the loading speed,  $\dot{u}(t)$ , to simulate a variation of  
 113 the external driving force. We introduced various forms of transients: step  
 114 increase, bump and sine changes of the loading speed which all produce  
 115 broad scale variation of the front speed (e.g. Figure 2). These external  
 116 loading fluctuations could be interpreted as an analog for far field stress  
 117 perturbations caused by example by pore fluid pressure, magmatic intrusion  
 118 or mantle flow.

### 119 2.3. Optical events

120 We monitor the fracture front propagation using a fast optical camera  
121 (CamRecord 600) with up to 1000 fps or a slow speed camera (Nikon D700)  
122 with up to 5 fps to follow the progression of the average front position over  
123 longer time scales (Figure 1). Optical images of the interfacial rupture show  
124 dark and bright regions respectively corresponding to open crack and unbroke  
125 ken parts of the sample. Image processing determines the transition between  
126 dark and bright areas that defines the fracture front. We first compute the  
127 difference between each image and the first image of the experiment. The  
128 image difference highlights the fracture front while removing permanent ar  
129 tifacts. Then, grayscale images are transformed into black and white images  
130 according to a gray level threshold separating bright and dark regions. Then,  
131 we calculate the gradient in the direction of front propagation to highlight  
132 the transition zone. We finally extract connected pixels from the gradient  
133 images that correspond to the front position,  $a(x, t)$ . The front propagates  
134 along the  $y$  axis with the origin defined at the load point and is positive in the  
135 direction of crack propagation. The  $x$  axis is perpendicular to  $y$  and defines  
136 the coordinate of a point along the front and  $\bar{a}(t)$  is the mean position of the  
137 front at time  $t$  (see Måløy et al. (2006) and Grob et al. (2009) for details).  
138 We compute the local speed of the crack by integrating the time spent by the  
139 front line in each pixel and then take its inverse (Figure 3). We extract from  
140 the local movements of the front, those with the highest speed. Similarly  
141 to the broad scale variation of the front velocity which could be compared  
142 to slow event recorded by geodetic instruments in a tectonic context, such  
143 patches of local higher than average deformation speed could be considered

144 as analogous to local creeping episode or slow slip events. They represent  
 145 slow deformation episodes that locally exceeds the macroscopic deformation  
 146 rate. In order to define such events, we follow the procedure detailed by Grob  
 147 et al. (2009). We fix a speed threshold,  $v_{th}$  defining the required speed to  
 148 define an optical event. Here we use  $v_{th} = 10 \times \langle v \rangle$ , where  $\langle v \rangle$  is the mean  
 149 velocity of the crack during an experiment. An optical event is identified  
 150 as a cluster of connected pixels satisfying the velocity threshold condition.  
 151 Although these optical events have higher velocities than most of the de-  
 152 forming sites, they remain slow deformation episodes compared to dynamic  
 153 events (since the average speed is around  $\langle v \rangle \simeq 500 \mu m s^{-1}$ , far from the  
 154 Rayleigh wave speed,  $V_r \simeq 1.710^9 \mu m s^{-1}$ ). These optical events are charac-  
 155 terized by a Gutenberg-Richter law with the power law slope being similar  
 156 to that for tectonic earthquakes (Grob et al., 2009). This Gutenberg-Richter  
 157 relation might also be linked to the magnitude-frequency scaling inferred for  
 158 slow-slip events (Wech et al., 2010).

#### 159 *2.4. Acoustic events*

160 The crack propagation produces acoustic activity that we monitor with  
 161 a 32 elements linear array of piezo-electric sensors. Sensors are located on  
 162 a line parallel to the plate axis and sensor centers are spaced by 3 mm.  
 163 The typical distance between the closest acoustic sensor and the border of  
 164 the plate is 1 cm. The sensors peak frequency response is  $\sim 500$  kHz and  
 165 continuous recording on all channels is at 5 MHz. For each experiment, we  
 166 extract the acoustic signal recorded in the two closest acoustic sensors to the  
 167 crack front line. We manually trigger the acquisition of the acoustic and it  
 168 is synchronized with the camera time. The recording of the acoustic signal



lasts, in our experiments, for a maximum of 50 s.

We use a short-term-average to long-term-average ratio (STA/LTA) to detect acoustic events (AE) in the recorded acoustic signal (Earle and Shearer, 1994). This procedure is similar to the one applied to earthquake data but we use shorter time windows to deal with our short signal durations. The STA window length is  $20\mu s$ , the LTA window length is  $100\mu s$  and the threshold for setting an STA/LTA detection is 2.0. An event must be detected simultaneously on the two closest channels to be considered in our analysis. We show an example of the acoustic signal recorded during one experiment in figure 4. The typical duration of the recorded events is on the order of  $100\mu s$ . The performance of the detection algorithm is illustrated in figure 5. As expected, event detection is associated with high amplitudes of the recorded signal on the two closest channels. We observe non-uniformly distributed clustering of acoustic activity along with the optical events (figure 5). The temporal coincidence between AEs and OEs is not perfect (figure 5). This can be attributed to AEs that are too small to be optically detected, OEs that are genuinely aseismic, and clusters of AEs that are lumped into a single large OE.

### 3. Results

#### 3.1. Distribution of inter-event time

Our results, shown in figure 5, suggest the presence of clustering of the acoustic activity. We quantify the clustering by calculating the distribution of inter-event times of successive AE for all experiments. Temporal clustering has been well documented for earthquakes and is suggested to be a result

193 of interactions among earthquake sites (Corral, 2004; Molchan, 2005; Hainzl  
 194 et al., 2006; Saichev and Sornette, 2007). We compute inter-event time be-  
 195 tween successive AE for all the 14 experiments. For each experiment we only  
 196 considered AE when the loading rate was nearly constant in order to avoid  
 197 mixing populations recorded during different loading rates. Inter-event times  
 198 are normalized by the average AE rate of each experiment (the average AE  
 199 rate for the different experiments, is of the order of  $10^2$  events/sec). There-  
 200 fore, the probability density functions (pdf) obtained from all experiments  
 201 can be represented on the same plot and well approximated by a gamma  
 202 function (Fig 6) proposed for earthquakes (Corral, 2004). The gamma dis-  
 203 tribution in figure 6 is obtained from the averaging of the parameters of each  
 204 individual fit. Fig. 6 also includes the inter-event time distribution for the  
 205 ISC worldwide catalog for earthquakes with magnitude  $M > 5.5$  in the period  
 206 1975-2004. The normalization of the interevent time is obtained similarly by  
 207 the average seismic event rate (of the order of 1 event/day). The good agree-  
 208 ment of the gamma distribution with the pdf obtained from our experimental  
 209 data, is similar to the agreement obtained for earthquake data (Corral, 2004)  
 210 or AE recorded during rock fracture experiments (Davidsen et al., 2007). It  
 211 suggests that the mechanism responsible for the seismic activity in fault sys-  
 212 tems or rock fractures, share strong similarities with our experiments. The  
 213 decay at short time scale is interpreted as the emergence of an Omori-Utsu  
 214 law describing interactions among the events while at longer time scales the  
 215 distribution evolves to an exponential distribution representative of a Poisson  
 216 process (Saichev and Sornette, 2007).

### 217 3.2. Power-law distribution of local slip-rate

218 We calculate the pdf of the local velocities following Måløy et al. (2006)  
219 for 6 of the experiments where we used the fast video camera at high sampling  
220 rate. We only analyze, for these experiments, time windows with an almost  
221 constant large scale velocity. The local velocity is normalized by the average  
222 velocity of the crack,  $\langle v \rangle$ . Front velocities exhibit significant fluctuations at  
223 small scales (Figure 3). For  $v > \langle v \rangle$  the pdf shows a power law decay with  
224 exponent 2.55 consistent with previous work (Måløy et al., 2006; Lengliné  
225 et al., 2011). This power law behavior of the deformation rate at small scale  
226 in our experiment is similarly observed in natural fault systems. In southern  
227 California, fault slip rates are found to obey a power law scaling with most of  
228 the fault system characterized by slow slip rates (Meade, 2007). It suggests  
229 that this scaling behavior is a general feature of slowly deforming medium in  
230 the presence of heterogeneities.

### 231 3.3. Comparison of AE and OE activity

232 We simultaneously monitor the evolution of the AE rate with the spatial  
233 average velocity of the crack front and the optical event (OE) rate in a  
234 time segment encompassing the loading transient (Figure 2). We show the  
235 evolution of the AE and OE rates and the average crack front speed during  
236 a transient episode (Figure 7). AE, OE rates and average front velocity are  
237 computed for intervals of 0.2 s. We notice that at the order of a few seconds,  
238 rate of acoustic emission, average front speed and OE rate exhibit a very  
239 similar evolution. A clear temporal relation between these three quantities  
240 at this large scale can be inferred: the AE and OE rates closely follow the  
241 macroscopic variation of crack front speed.

242 In order to quantify the relationship between the average crack front  
 243 velocity and the AE rate, we compute the affine relation linking these two  
 244 quantities for all experiments. The residuals of the linear relation are small  
 245 and symmetrically distributed suggesting that a linear form might represent  
 246 a reasonable relation between AE rate and crack velocity. This is attested by  
 247 the correlation coefficient,  $\rho$ , computed for each experiments between these  
 248 two variables. The correlation coefficient is defined as  $\rho = \sigma_{xy}/\sigma_x\sigma_y$ , with  
 249  $\sigma_{xy}$  the covariance of the AE rate with the front speed and  $\sigma_x$  and  $\sigma_y$  the  
 250 standard deviations of the AE rate and the front speed. The correlation  
 251 coefficient,  $\rho$  for window size of 0.2 s and for our 14 experiments ranges from  
 252  $\rho = 0.75$  to 0.97 and with a mean value of 0.87.

### 253 3.4. *An interplay of seismic and aseismic local deformations*

254 We now focus to smaller time scales in order to decipher the link between  
 255 acoustic activity and slow movement of the crack front. The crack front  
 256 velocity shows some fluctuations at small scales, although smooth and rather  
 257 continuous when observed at large scale. These fluctuations result from the  
 258 heterogeneous nature of the interface and elastic interactions along the crack  
 259 front line. We investigate the temporal relation between optical and acoustic  
 260 events recorded during the 6 experiments that show the highest acoustic  
 261 activity and the best resolved crack propagation. We show in Figure 8 the  
 262 cross-correlation function,  $C(\Delta t)$ , between the rate of AE,  $r_{AE}(t)$ , and the  
 263 rate of optical events,  $r_{OE}(t)$ . For both AE and optical events, rate are  
 264 computed as the number of events detected in time interval of 5 ms from  
 265 time  $t_0$  to time  $t_f$ , and mean is remove from the time-series. The cross-

266 correlation function is obtained as

$$C(\Delta t) = \frac{1}{\sqrt{C_{AE}C_{OE}}} \sum_{t_0}^{t_f} r_{OE}(t + \Delta t) \times r_{AE}(t), \quad (1)$$

267 where  $C_{AE}$  and  $C_{OE}$  are the auto-correlations values of the AE and the OE  
 268 rates respectively at zero lag time. We observe that the maximum correlation  
 269 between the two types of signal is obtained at zero lag time. It suggests that  
 270 the acoustic activity occurs mostly in a short time span around the aseismic  
 271 deformation. The almost symmetric shape of the correlation function also  
 272 suggests that optical events both precede and follow acoustic activity during  
 273 the course of an experiment highlighting the close interplay between these  
 274 two modes of deformation. The slight asymmetrical shape of  $C(\Delta t)$  observed  
 275 in Figure 8 also suggests that a higher rate of OE occurs following AE than  
 276 preceding it, similar to postseismic slip observed after earthquake.

## 277 4. Conclusion

278 We analyze the coupled evolution of acoustic activity and slow deforma-  
 279 tion during the propagation of a brittle-creep fracture in an heterogeneous  
 280 medium. Our unique experimental setup allows to address the link that takes  
 281 place between seismic and aseismic slip along natural fault. It provides an  
 282 original characterization of slow deformation processes that are difficult to  
 283 capture on faults at depth. Numerous statistical features of the deformation  
 284 observed in natural systems are reproduced by our experiment like gamma  
 285 distribution of interevent time or power law distribution of slip rate. We  
 286 show that the acoustic activity (dynamic events) is part of the deformation  
 287 process which occurs over a widely distributed range of speeds including

slow slip. Indeed, small scale observation of the deformation reveals links between creep and acoustic events. The small scale complex dynamics leads to a macroscopic integrated signal of the deformation which shows a smooth and continuous deformation speed and which correlates well with the rate of acoustic events.

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Figure 1: Side view (left) and bottom view (right) of the experimental setup. A stiff aluminum frame is attached to the upper PMMA plate. The bottom plate is separated from the upper one using a loading force applied by a rod connected to a stepping motor. The load causes a deflection  $u$  of the bottom plate and the propagation of an interfacial crack. The crack front is located at distance  $\bar{a}$  from the free end. The front advance is monitored by a high or slow speed camera set in vertical position, perpendicular to the crack plane.

Figure 2: Evolution of the force (red), and loading point displacement (blue) during an experiment. The crack is supposed to start moving around  $t = 45s$  as evidenced by the peak of force. The black box on the top figure represents a zoom displayed on the bottom figure. We see that the loading point position is imposed a transient variation of speed between  $t = 65$  s to  $85$  s with the aim of simulating a transient variation of speed of the crack front (the black line corresponds to the front position). The camera and acoustic time window are displayed as dark gray and light gray shaded area.

Figure 3: **A:** Map of the local speeds of the front on the interface. Dimension of the interface can be appreciated from the length of the vector showing the front propagation direction which is  $1.3$  mm long. The front propagates from bottom to top. We observe small scale fluctuations of the crack front speed. Black dots represent optical events obtained after thresholding the velocity map and are displayed at the centroid of the corresponding high velocity cluster. **B:** Zoom on an inset portion of the interface represented by the black rectangle in **A**. **C:** Probability density functions (pdfs) of the local velocities computed for 6 experiments. We observe a power law decay of the pdfs for  $v > \langle v \rangle$  with an exponent  $\nu = -2.55$  compatible with Måløy et al. (2006).

Figure 4: Example of recorded signal for an acoustic event. We observed a modification of the frequency content associated with the arrival of the AE wave train. The duration of the AE on the displayed channel is around  $100\mu s$ .

Figure 5: Acoustic records on two channels for  $100$  ms during one experiment. We observe on these two channels an abundant activity as attested by the numerous peaks in the acoustic signals. Stars mark the identification of events after processing of the two signals by the STA/LTA procedure and matching common detection. The histogram in red indicates the optical events recorded during the same time period.

Figure 6: Distribution of normalized inter-event time for all experiments. Each experiment is represented by a different colour. The best gamma distribution fitting all the experiments is represented by a black curve and is  $p(\tau) = C\tau^{\gamma-1}e^{-\tau/\beta}$ , where  $C = 0.44$ ,  $\beta = 1.8$  and  $\gamma = 0.54$ . Black filled diamonds show the inter-event time distribution computed from the ISC worldwide catalog for earthquakes with magnitude  $M > 5.5$ .

Figure 7: Evolution of the rate of AE (purple diamonds), of the average crack front speed (blue squares) and of the optical event (OE) rate (red circles) as a function of time. Rate are computed for interval of 0.2 s. We observe that the rate of AE and OE is well correlated with the variation of the crack front speed at this broad scale.

Figure 8: Cross-correlation function  $C(\Delta t)$  between the rate of acoustic events and the rate of optical events. AE rate and OE rate are computed as the number of events for intervals of 5 ms and mean is remove from the time-series. The cross-correlation function corresponds to an averaged function computed over 6 experiments. We observe that the maximum of the correlation function is found at zero time lag. We also notice the increase of the correlation function around the peak, suggesting that OE are clustered in time for some duration before and after an AE. The inset figure shows the normalized autocorrelation functions for the AE (black curve) and the OE (gray curve). Both functions show some increase around zero time lag supporting the interplay between these two modes of deformation.

## \*Highlights

- > We build an original experiment designated to study the relation between slow and dynamic deformations in the brittle creep regime.
- > We observe numerous acoustic events in relations with local creeping episodes.
- > In relation with faulting processes, we propose that earthquake swarms are driven by local slow slips.

Figure 1a  
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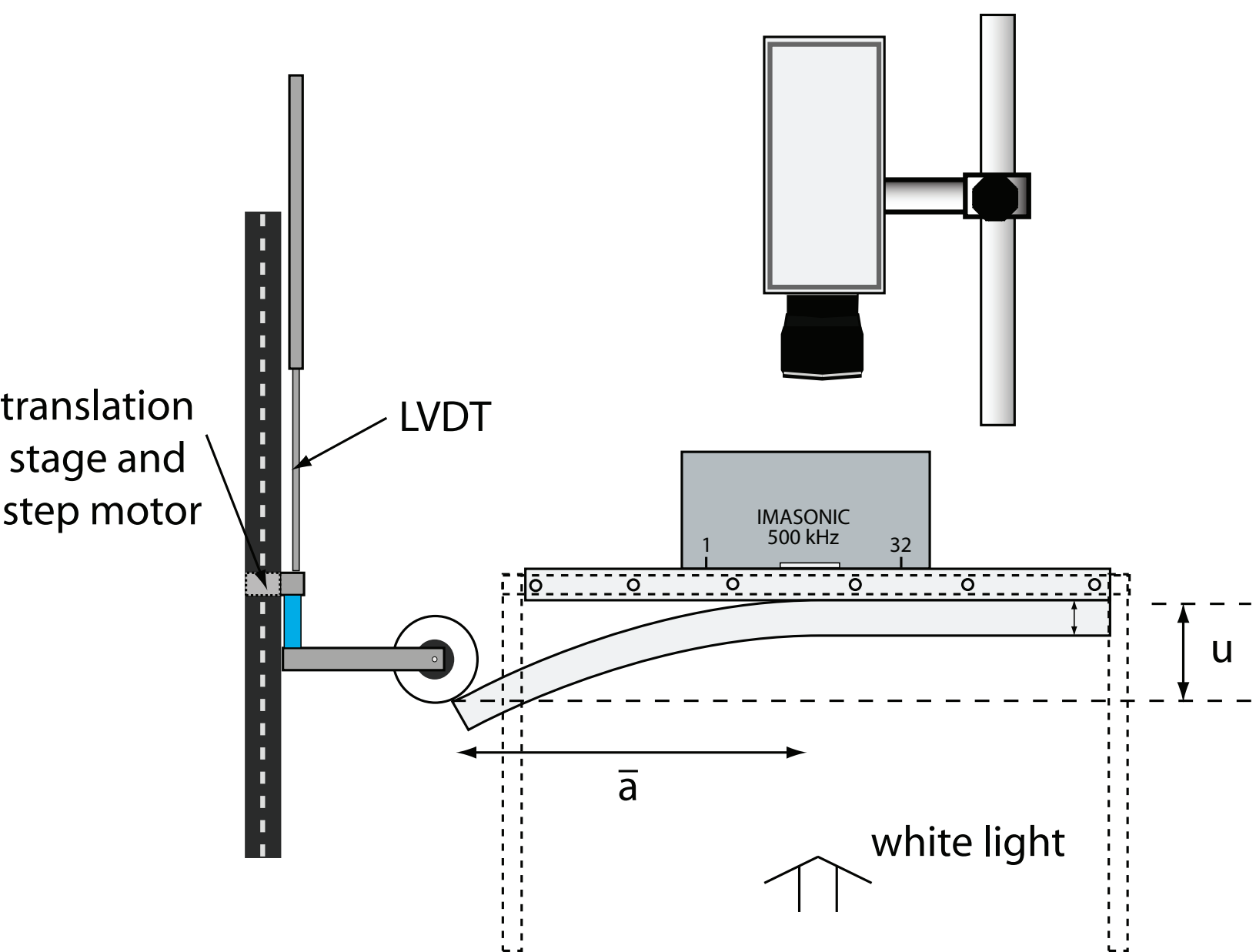


Figure 1b  
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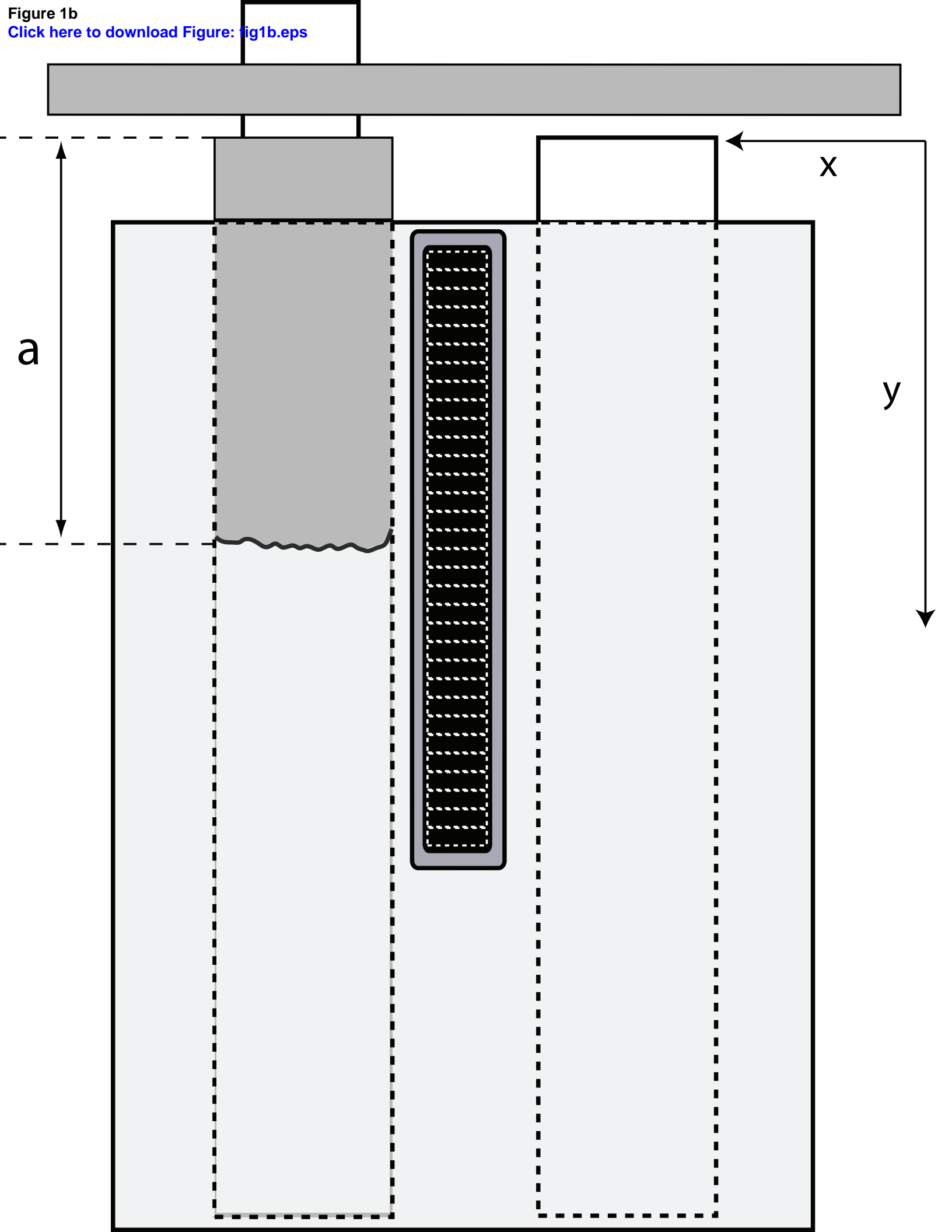




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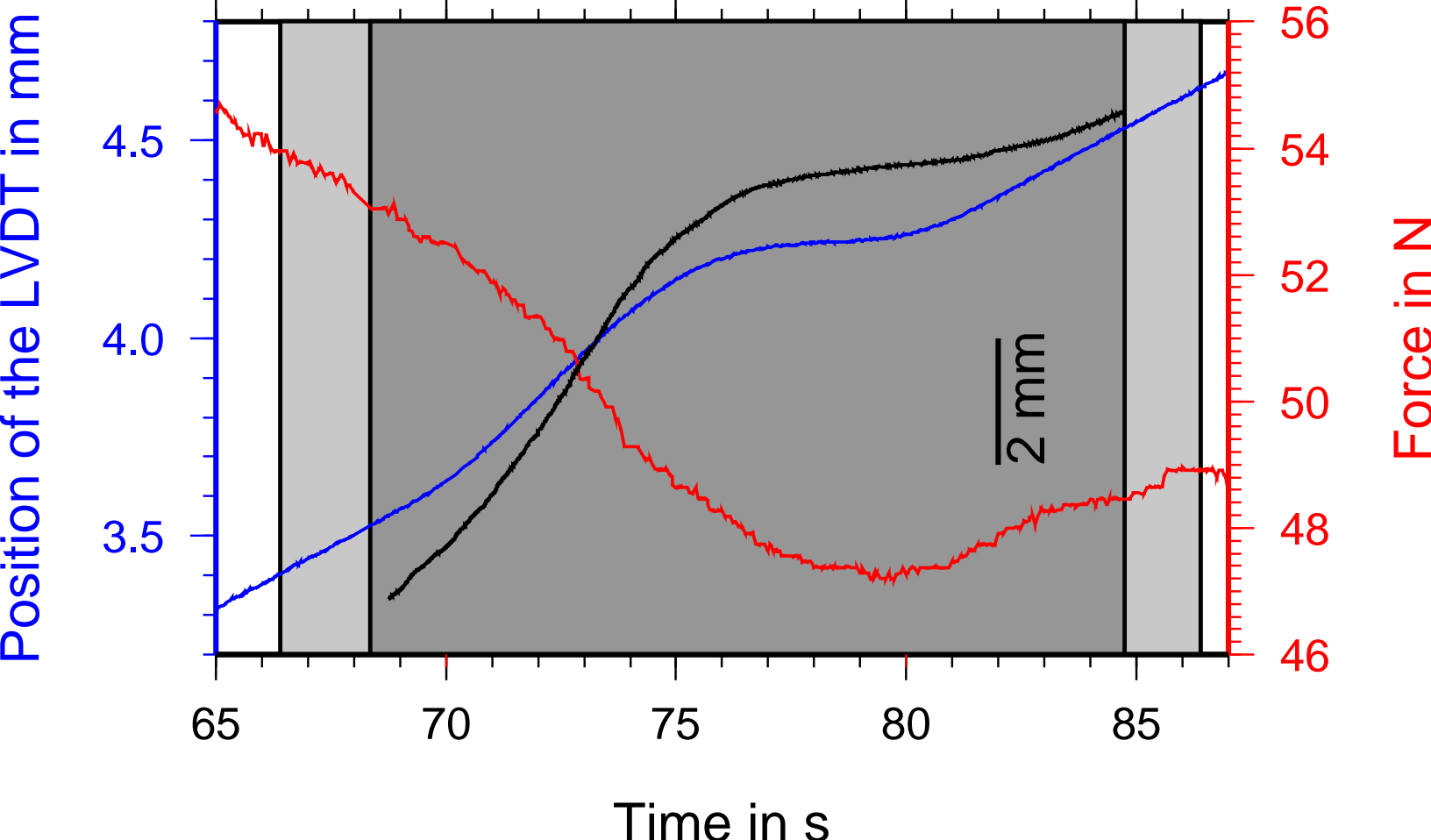
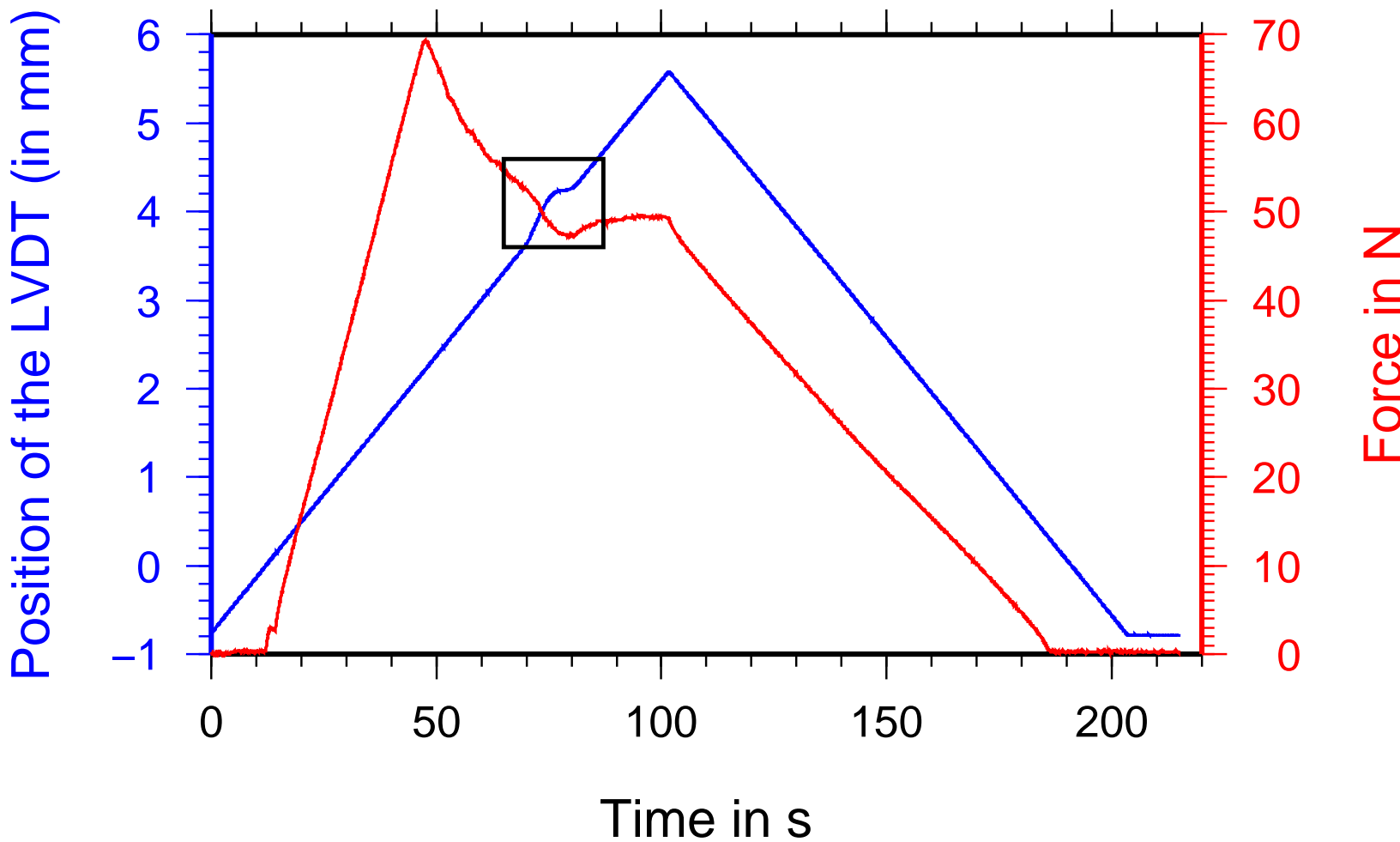


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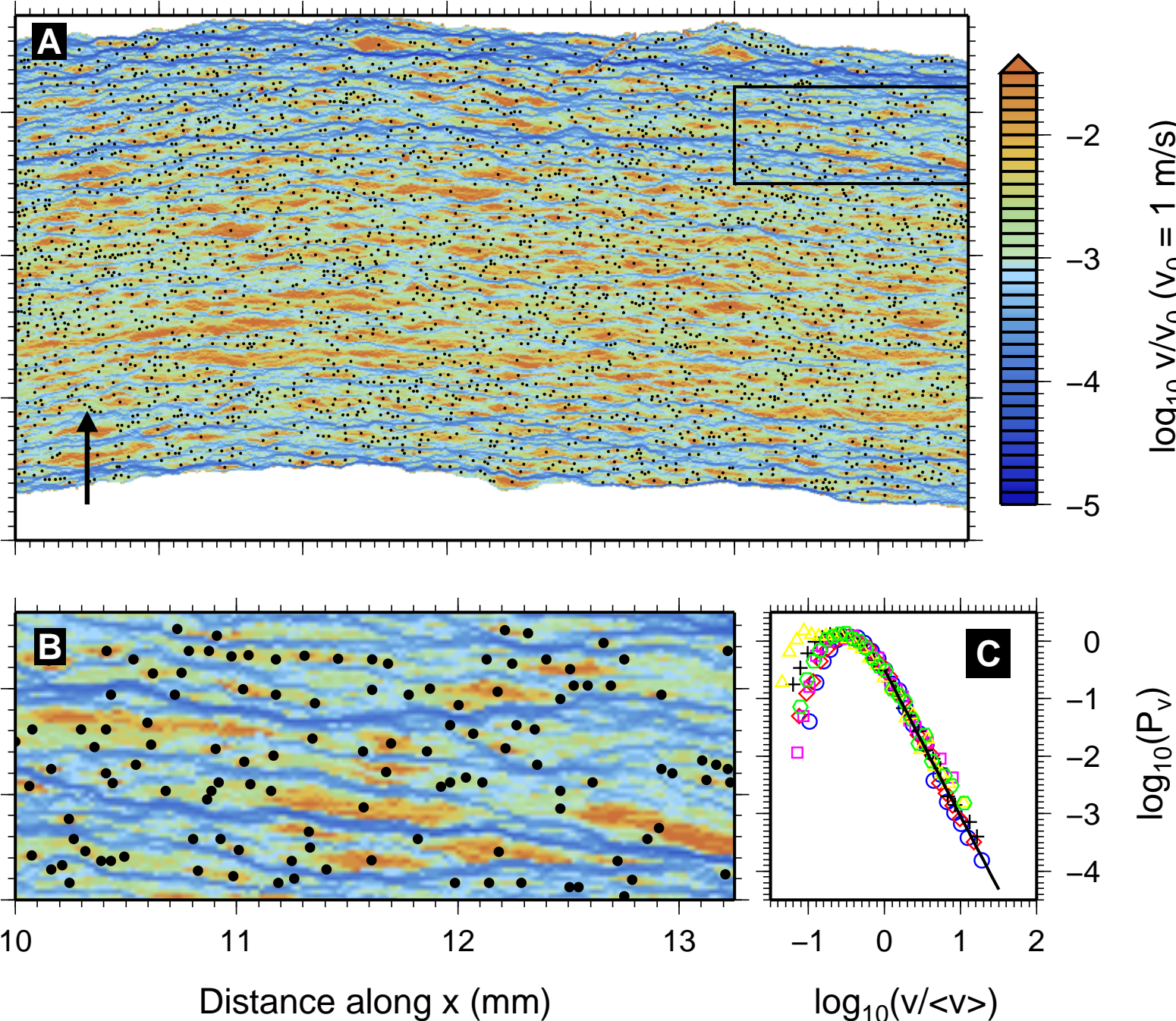


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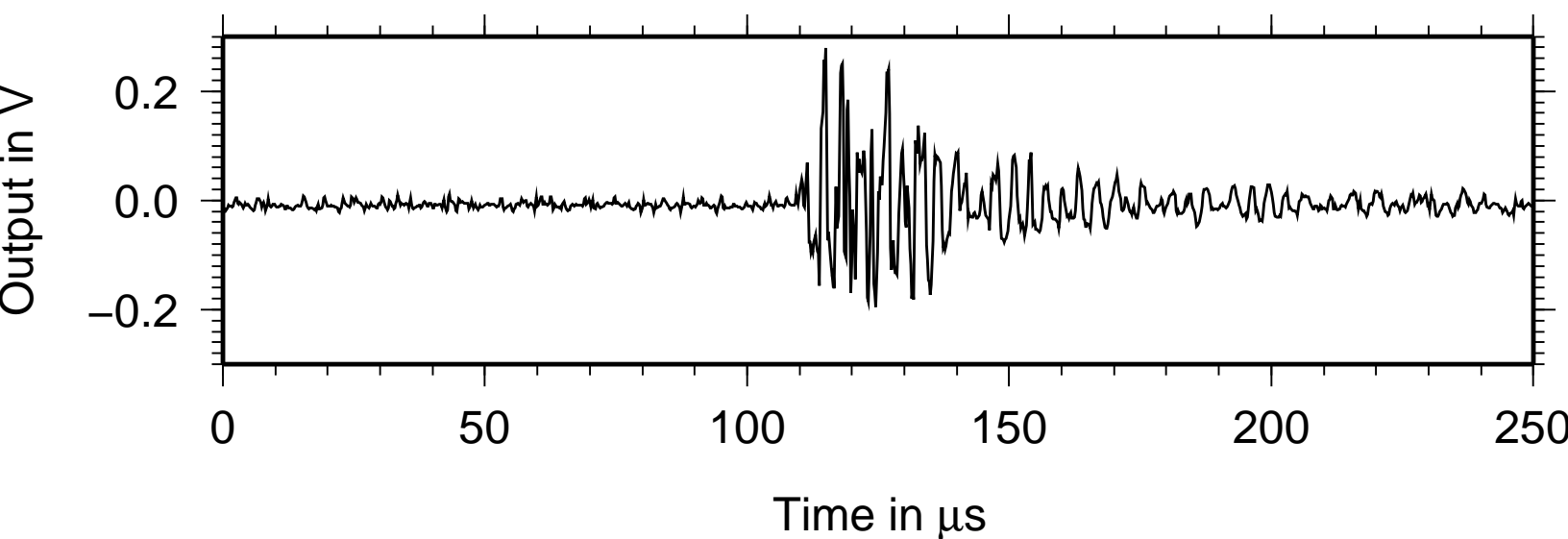


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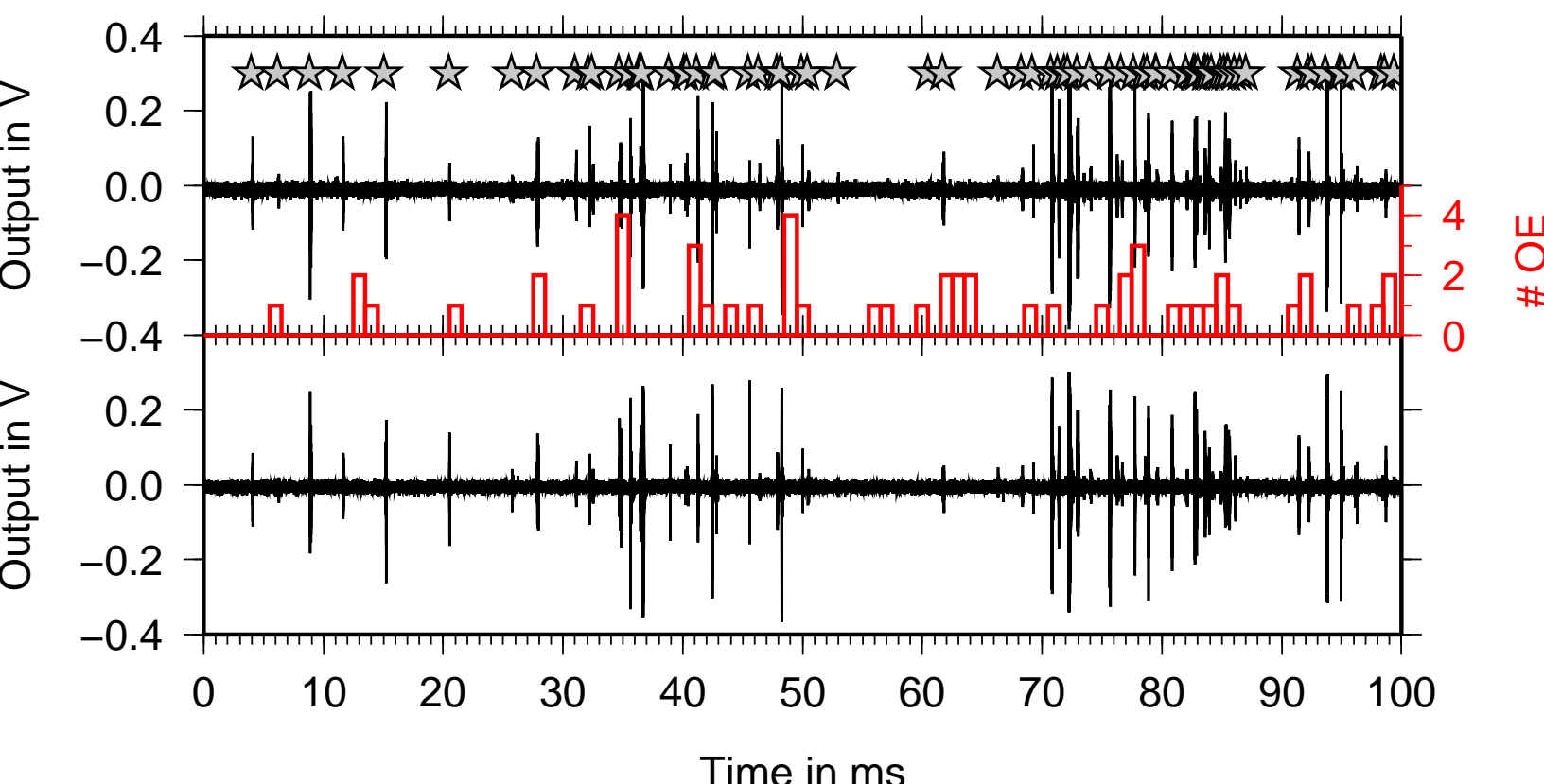


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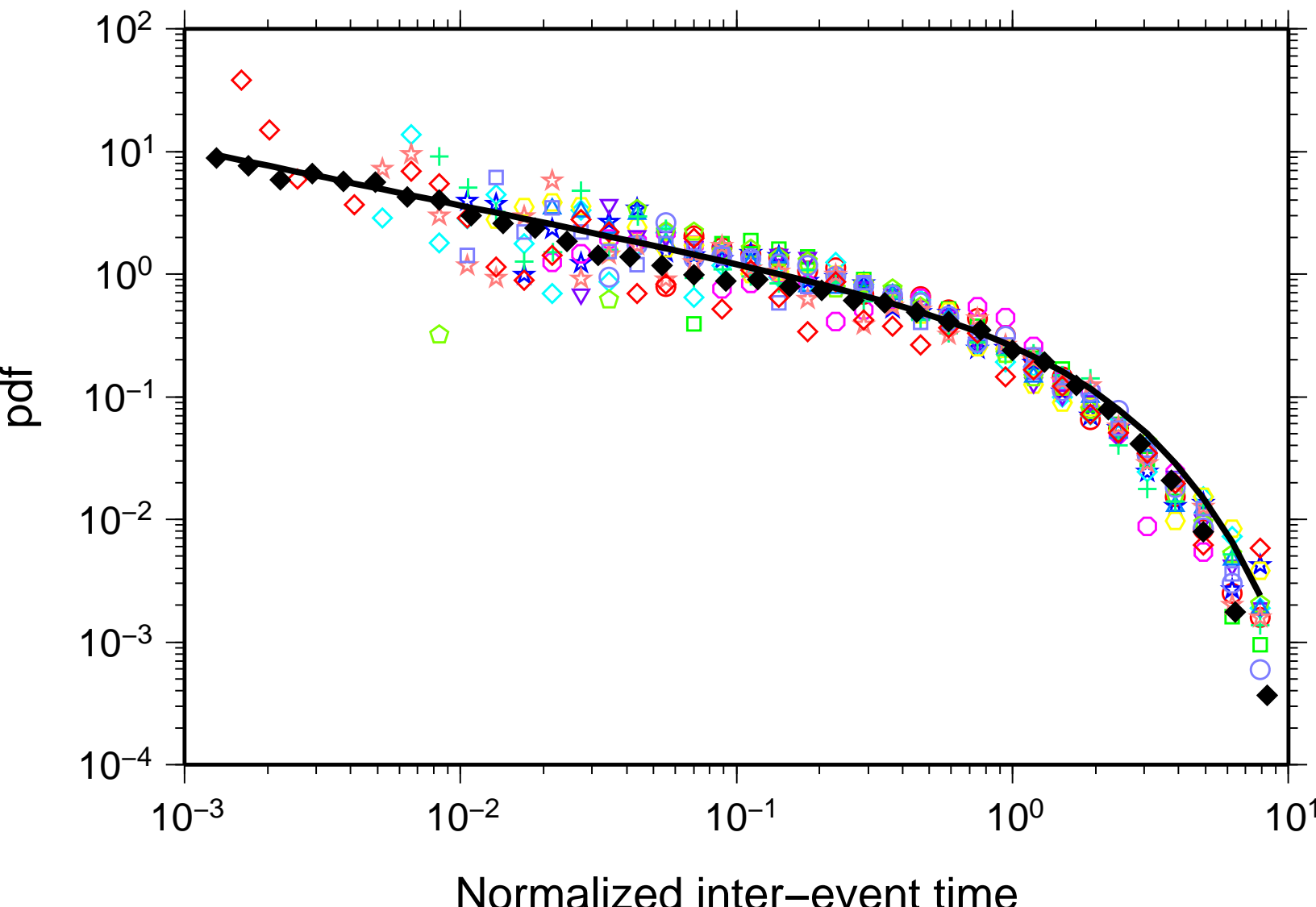


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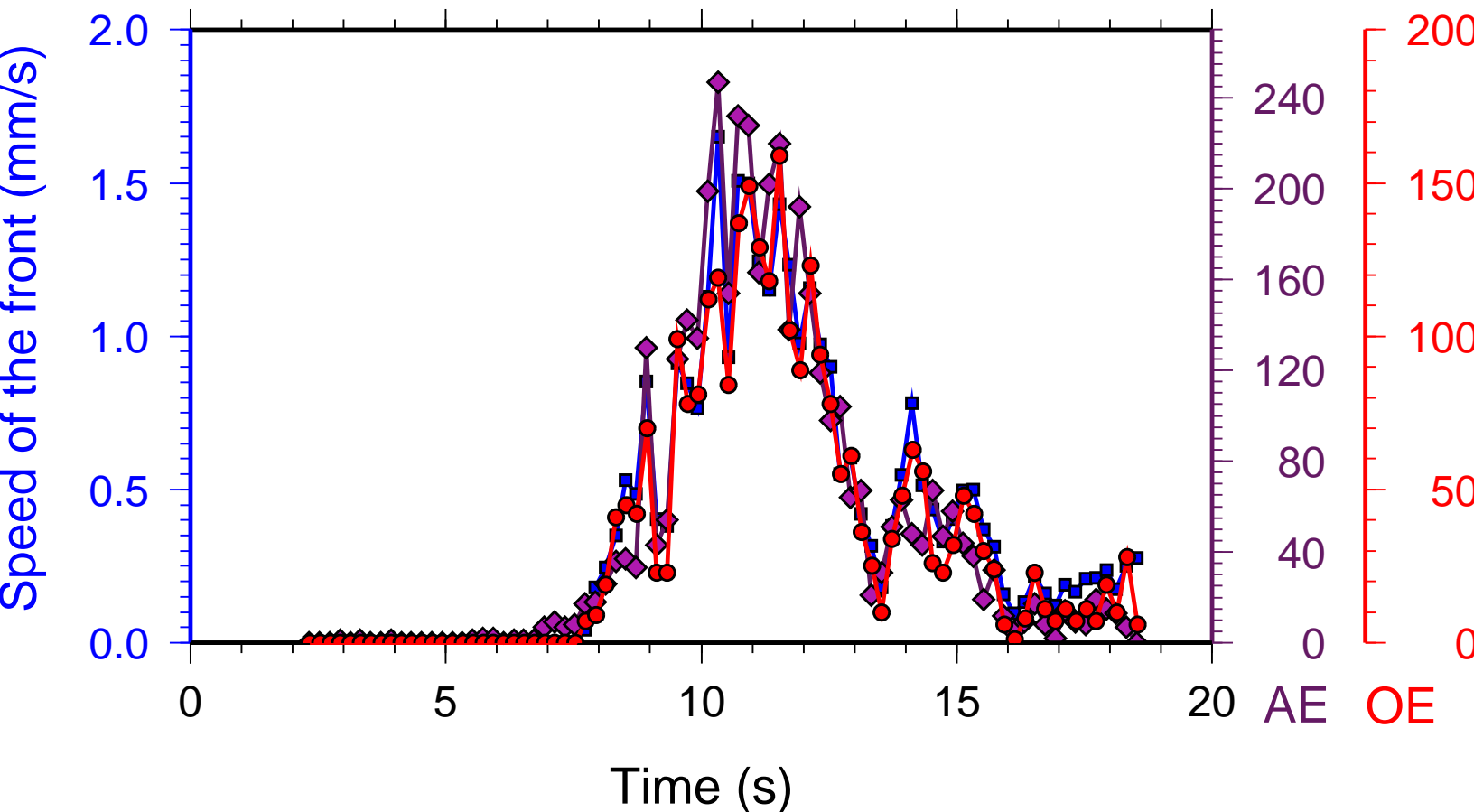


Figure 8  
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